Year 5 Sp 1 Maths Calculations: Column Multiplication and Bus Stop Division

For Parents & Carers | White Rose Maths

| Date | Questions |
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| 14.1.25 | Double: a) 0.5 b) 0.7 c) 1.6 d) 3.9 Halve: a) 1.0 b) 0.5 c) 2.6 d) 3.5 |
| 14.1.25 | a. £100.96 + £34.99 + 98p = b. £20 - £7.01 - £0.89 = c. 693 x 7 = d. 7007 ÷ 7 = |
| 21.1.25 | a. 49.07 m + 83.6m = b. £94.82 - £84.86 - £0.78 = c. 467 x 9 = d. 3609 ÷ 9= |
| 28.1.25 | a. £72.95 + £8.06 = b. £50 - £43.09 - 76p = c. 764 x 7 = d. 8400 ÷ 7 = |
| 4.2.25 | a. £8.06 + 909p= b. £20 - £13.09 - 134p = c. 1704 × 9 = d. 9405 ÷ 9 = |

| Year 5 Recall +/-/x/÷ | Ex. Mental Calculations | Mental Strategies +/-/x/÷ |
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| | jottings if needed | how & when to apply strategies |
| sums and differences of decimals, e.g. 6.5 + 2.7, 7.8 - 1.3 doubles and halves of decimals, e.g. half of 5.6, double 3.4 what must be added to any four-digit number to make the next multiple of 1000, what must be added to a decimal with units and tenths to make the next whole number, Decall squares to 12x 12 | + or - a pair of two-digit numbers or three-digit multiples of 10, e.g. 30 + 80, 620 - 380, 350 + 360 + or - a near multiple of 10 or 100 to any two- digit or three-digit number mentally, e.g. 230 + 190 find the difference between near multiples of 100, e.g. 607 - 588, or of 1000, e.g. 6070 - 4087 (Jottings to help this calculation: count up the difference on a number line, bridging through key multiples of 100): | count on or back in Hs, Ts, Qs and tenths (starting from any integer or decimal) partition: add Hs, Ts or Qs separately, then recombine subtract by counting up from the smaller to the larger number (where efficient due to numbers close together or near multiples) + or - a multiple of 10 or 100 and adjust (e.g. 235 + 198 (+ 200 mentally and - 2); 964+88 (+ 90, then - 2); 621 - 39 (- 40 then + 1 back on) partition: double and adjust |
| • Recall squares to 12× 12 | | |

| • Recall division facts corresponding to tables up to 12 × 12, and the related unit fractions, e.g. 7 × 9 = 63 so one- ninth of 63 is 7 and one- seventh of 63 is 9 | + or - any pairs of decimal fractions each with units and tenths, e.g. 5.7 + 2.5, 6.3 - 4.8 multiply and divide two-digit numbers by 4 or 8, e.g. 26 × 4, 96 ÷ 8 multiply two-digit numbers by 5 or 20, e.g. 320 × 5, 14 × 20 using doubling and halving multiply by 25 or 50, e.g. 48 × 25, 32 × 50 double three-digit multiples of 10 to 500, e.g. 380 × 2, and find the corresponding halves, e.g. 760 ÷ 2 find the remainder after dividing a two-digit number by a single-digit number, e.g. 27 ÷ 4 = 6 R 3 multiply and divide whole numbers and decimals by 10, 100 or 1000, e.g. 4.3 × 10, 0.75 × 100, 25 ÷ 10, 673 ÷ 100, 74 ÷ 100 multiply pairs of multiples of 10, | use knowledge of place value and related calculations, e.g. 6.3 - 4.8, using 63 - 48 partition for calculation with time: count on or back in minutes and hours, bridging through 60 (analogue and digital times): Mental jottings as a 'time number line': multiply or divide by 4 or 8 by repeated doubling or halving form an equivalent calculation, e.g. to multiply by 5, multiply by 10, then halve; to multiply by 20, double, then multiply by 10 use knowledge of doubles/halves and understanding of place value, e.g. when multiplying by 50 multiply by 100 and divide by 2 • use knowledge of division facts, e.g. |
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| | e.g. 60 × 30, and a multiple of 100 by a single digit number, e.g. 900 × 8 • divide a multiple of 10 by a single-digit number (whole number answers) e.g. 80 ÷ 4, 270 ÷ 3 • find fractions of whole numbers or quantities, | when to find a remainder • use understanding that when a number is multiplied or divided by 10 or 100, its digits move one or two places to the left or the |

| Recall percentage equivalents of one-half, one-quarter, three- quarters, tenths and hundredths Recall / find factor pairs to 100 Recall prime numbers up to 19 | e.g. 2/3 of 27, 4/5 of 70 kg • find 50%, 25% or 10% of whole numbers or quantities, e.g. 25% of 20 kg, 10% of £80 • find factor pairs for numbers to 100, e.g. 30 has the factor pairs 1 × 30, 2 × 15, 3 × 10 | right relative to the decimal point, and zero is used as a place holder • use knowledge of multiplication and division facts and understanding of place value, e.g. calculating with multiples of 10 • use knowledge of equivalence between fractions |
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| × 1 2 3 4 5 6 7 8 9 10 11 12 1 1 2 3 4 5 6 7 8 9 10 11 12 2 2 4 6 8 10 12 14 16 18 20 22 24 3 3 6 9 12 15 18 21 24 27 30 33 36 4 4 8 12 16 20 22 24 27 30 33 36 5 5 10 15 20 25 30 35 40 45 55 56 66 6 12 18 24 30 36 42 48 56 66 72 77 74 42 12 28 55 64 72 80 88 96 92 90 91 108 25 10 10 20 30 | and 5 × 6 | And vertices of equivalence between fractions and percentages, e.g. to find 50%, 25% and 10% • use knowledge of multiplication and division facts to find factor pairs ('Factor pairs' - starts with 1 and the number itself, then all the other possible pairs in order) $12.8 + 2.14 = 342$ $10^{\circ} 20 8 200 10 4$ $100 + 200 = 300$ $20 + 10 = 30$ |
| Prime Numbers | hundreds tens ones tenthe hundredths Image: I | 8 + 4 = 12 $300 + 30 + 12 = 342$ $321 - 256$ $+4$ -256 260 300 321 Add the 'hops': 40 + 21 + 4 = 65 |

